# COMP90042 Web Search & Text Analysis

Workshop Week 7

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### Outline

#### Introduction

- Motivation
- · Challenges
- Definition
- Tagsets

#### Methods

- · N-gram Models
- · Rule-based Methods
- · Probabilistic Graphic Models (PGMs)
- Feed-Forward Neural Networks (FFNNs)
- Recurrent Neural Networks (RNNs)

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### Introduction

#### Motivation:

- · Understanding syntactical structure of a sentence.
- Informative features for downstream tasks (e.g. dependency parsing, relation extraction, named entity recognition)

### Challenges:

· Ambiguity of words allows multiple possible tags.

### Introduction

#### Definition:

· Assigning Part-of-Speech tags to each token in the sequence.

### Tagsets:

- · Varies in different datasets.
- · Penn Treebank Tagset
- https://www.sketchengine.eu/penn-treebank-tagset/

#### Exercise:

 Pierre Vinken, 61 years old, will join the board as a nonexecutive director Nov. 29.

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# Rule-based & N-gram Models

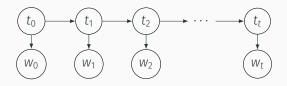
#### Rule-based

- · Hand-crafted heuristics
- · From possible POS narrow down to one tag

### N-gram POS Tagging

- $P(t_i|w_i)$
- $P(t_i|w_i, t_{i-1}, t_{i-2})$

## Probabilistic Graphic Model



Nodes denotes events, edges denotes dependencies.

Independent Assumption in HMM:

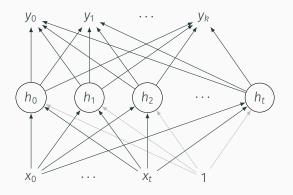
Transition Prob.  $P(t_i|t_{i-1})$   $t_i$  only depends on  $t_{i-1}$ Emission Prob.  $P(w_i|t_i)$   $w_i$  only depends on  $t_i$ 

Maximum Entropy Markov Model (MEMM)

- Discriminative Model: Use features as observations
- Model  $P(t_i|w_i)$  instead of  $P(w_i|t_i)$  in HMM

Conditional Random Fields (CRFs): Unidirectional PGM

### Feed-Forward Neural Networks



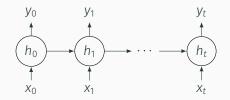
hidden states:  $h_i = \sigma(\sum_j w_{ij}x_j + b_i)$ 

Inference:  $\vec{P} = softmax(\vec{y})$ 

Loss in tagging:  $\mathcal{L} = -\sum_{i} log(P(t_i|w_{i-2}, w_{i-1}, w_i, t_{i-2}, t_{i-1}))$ 

Loss in LM:  $\mathcal{L} = -\sum_{i} log(P(w_i|w_{i-2}, w_{i-1}))$ 

### **Recurrent Neural Networks**



$$h_t = \sigma_h(Wx_t + Vh_{t-1} + b_h)$$
  

$$y_t = \sigma_y(Uh_t + b_y)$$

t: time step

x: input vector

y: output vector

h: hidden states

W, U, V: Weight matrices

b: Bias

 $\sigma$ : activation function

(e.g. Sigmoid)

For sequence labeling

• 
$$P(tag_i) = softmax(y_i)$$

• 
$$\mathcal{L} = -\sum_{i} log(P(tag_i))$$

For language model

• 
$$P(w_{i+1}) = softmax(y_i)$$

• 
$$\mathcal{L} = -\sum_{i} log(P(w_i))$$